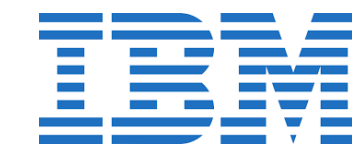


Score Distillation via Reparametrized DDIM



TL;DR

Score Distillation Sampling (SDS) [1] is a promising technique that allows to use pre-trained 2D diffusion models for 3D generation. However, the quality of the generated 3D assets is limited. In this work we:

- Theoretically show that $SDS \approx 2D$ Diffusion
- Reveal that the noise term in SDS is the reason for over-smoothing
- Suggest a fix
- Improve the quality of 3D generation

2D Diffusion (DDIM)

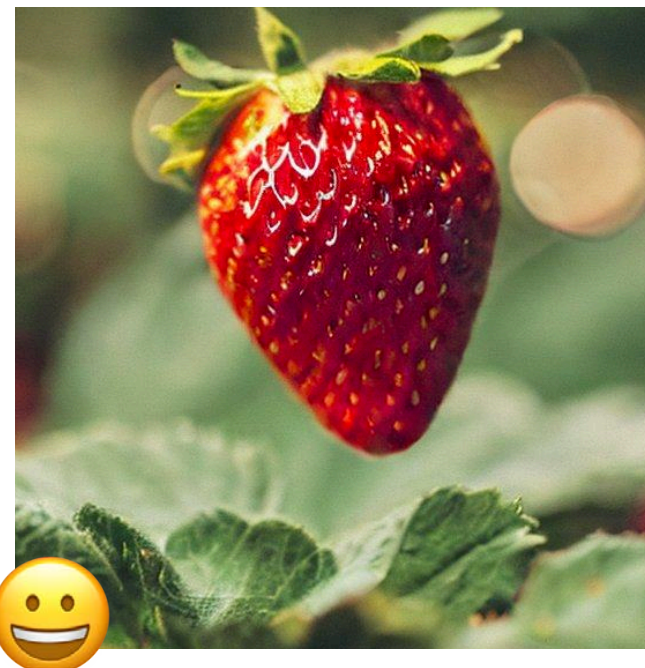
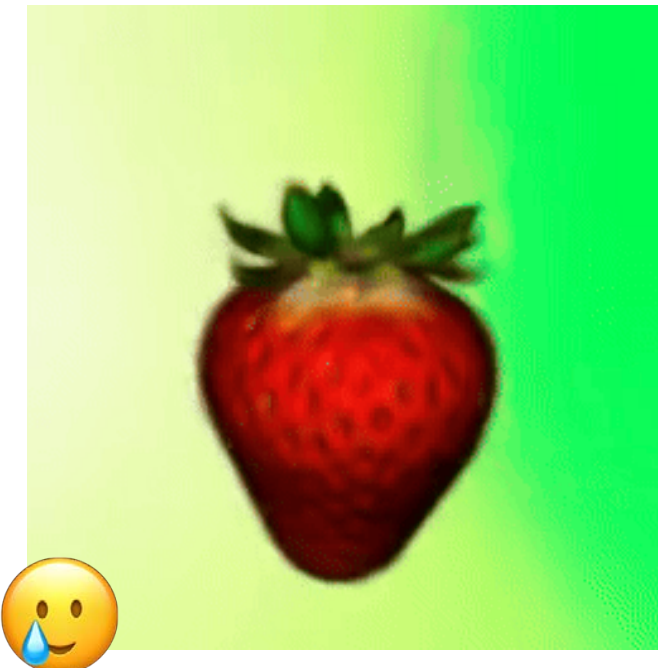


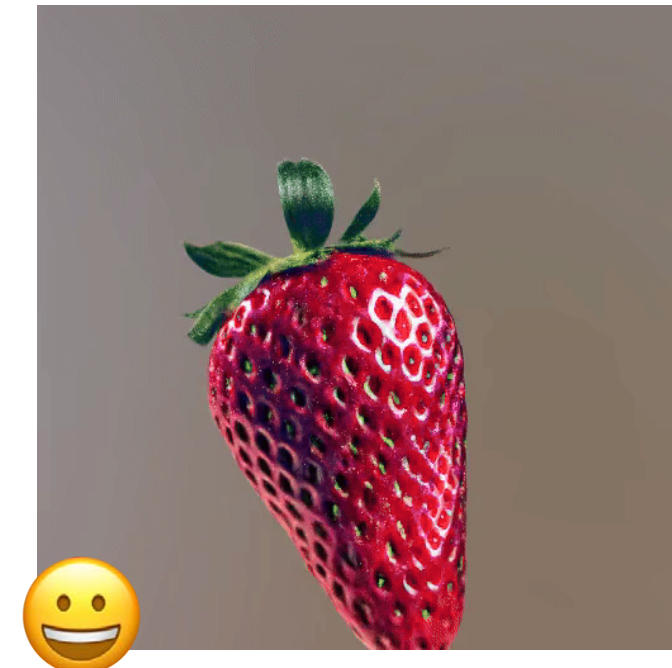
Image Diffusion generates crisp, high-quality images

Score Distillation (SDS)



Score Distillation Sampling uses Image Diffusion, but the results are blurry

Ours (SDI)



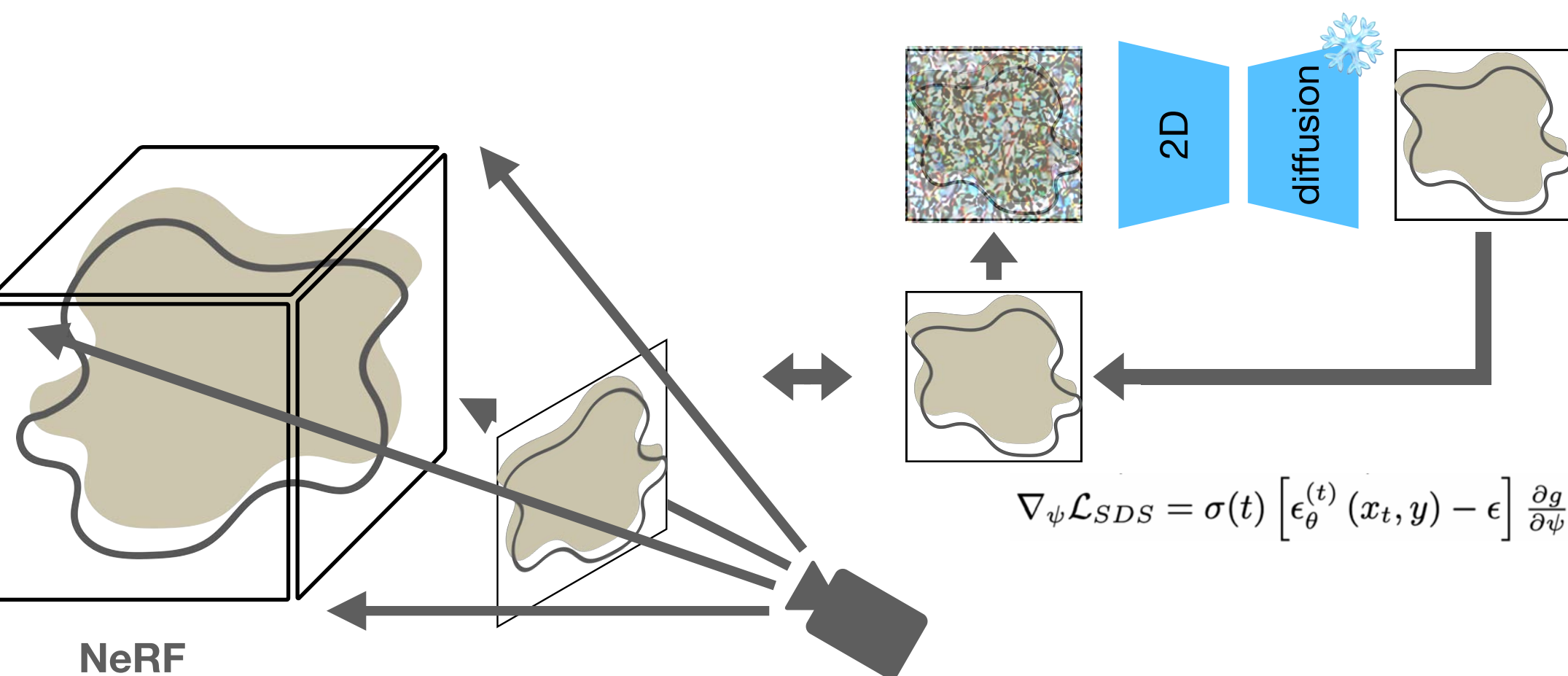
We provide a theoretical analysis and suggest a fix

How does Score Distillation work?

Proposed in DreamFusion [1] and Score Jacobian Chaining [2], Score Distillation is a method for generating 3D shapes using a pre-trained and frozen 2D diffusion model.

- I. Initialize a differentiable 3D representation
 1. Sample a random camera pose
 2. Render a view of the object
 3. Add noise to the rendering
 4. Denoise the image with the 2D diffusion model
 5. Optimize the parameters of the 3D representation to match the denoised image
- II. Repeat steps 1-5 until convergence

Often the generated shapes are over-smoothed and over-saturated.



SDS is a dual process of DDIM

A single upate step of Denoising Diffusion Implicit Models (DDIM) [3] sampling algorithm removes a portion of the predicted noise to match the noise level of the next step:

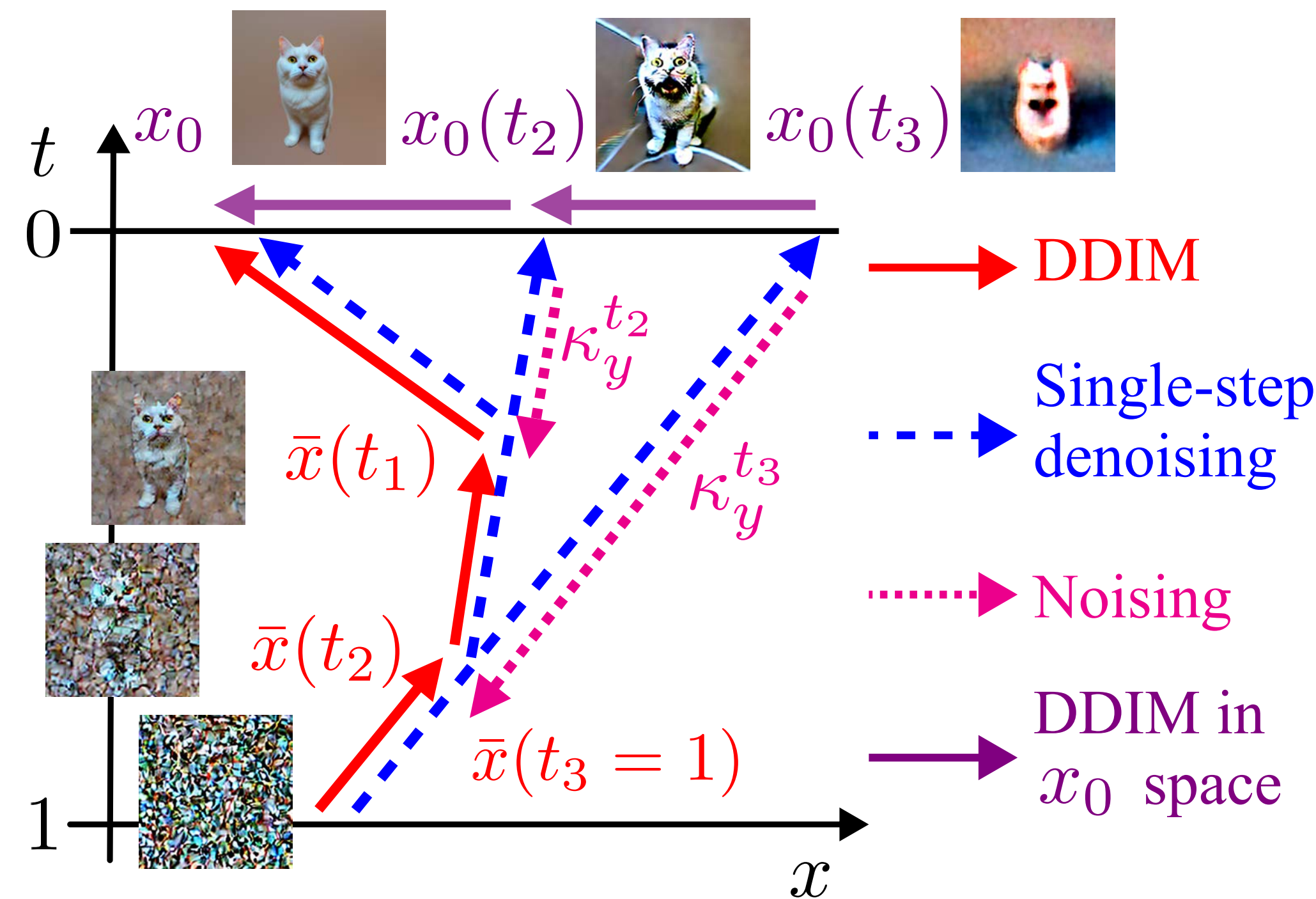
$$\bar{x}(t - \tau) = \bar{x}(t) + \epsilon_{\theta}^t(\sqrt{\alpha(t)}\bar{x}(t), y) [\sigma(t - \tau) - \sigma(t)].$$

Let's consider a new variable that is formed by denoising the images in a single step:

$$x_0(t) \triangleq \bar{x}(t) - \sigma(t)\epsilon_{\theta}^t(x(t), y).$$

With a simple change of variable in the DDIM update rule, we obtain a dual process of DDIM defined for the space of noise-free images:

$$x_0(t - \tau) = x_0(t) - \sigma(t - \tau) \left[\underbrace{\epsilon_{\theta}^{t - \tau}(\sqrt{\alpha(t - \tau)}x_0(t) + \sqrt{1 - \alpha(t - \tau)}\kappa_y^t(x_0(t)), y)}_{\text{predicted noise}} - \underbrace{\kappa_y^t(x_0(t))}_{\text{noise sample } \kappa_y^t} \right].$$



,where κ_y^t is a noise term added to the current image. For the new process to match DDIM exactly, it should satisfy the following stationary-point equation:

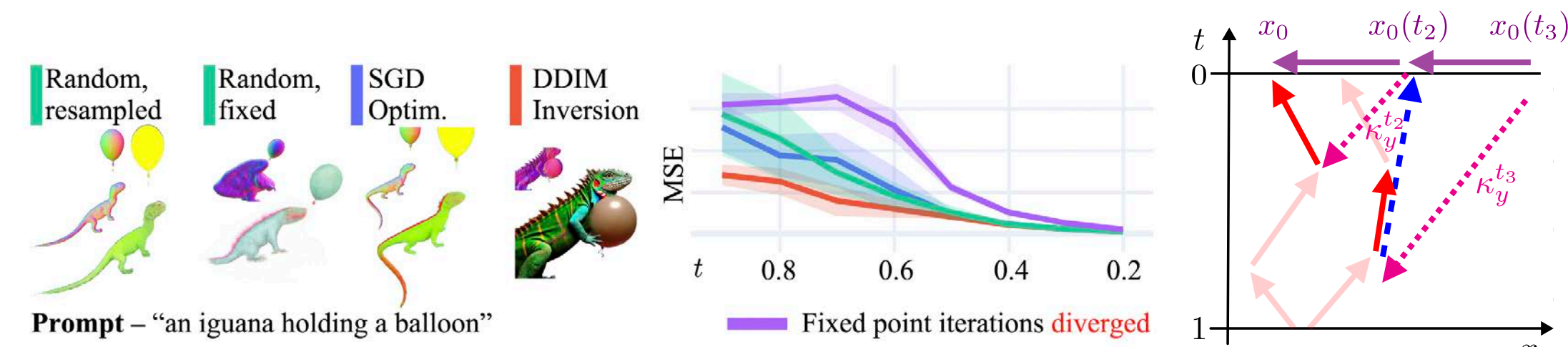
$$\kappa_y^t = \epsilon_{\theta}^t(\sqrt{\alpha(t)}x_0(t) + \sqrt{1 - \alpha(t)}\kappa_y^t, y)$$

Solving this equation precisely is very hard as it involves inverting a highly non-linear and high-dimensional Neural Network. A naive solution that we can adopt is to sample the noise term randomly from the Normal Gaussian distribution.

$$\kappa_y^t \sim \mathcal{N}(0, I)$$

In this case the re-parametrization of DDIM precisely matches SDS update rule!

Random noise is the reason of blurriness



Due to the randomness in choice of κ_y^t SDS's optimization process is being averaged across multiple trajectories of DDIM, what causes blurriness. In this work we explore multiple approaches to solving the stationary point equation and find that **running DDIM in the inverse direction yields the most accurate solution**. In this case Score Distillation optimisation process becomes time- and spatial-consistent.

3D generation quality gets closer to 2D models



See the paper for detailed comparisons with ProlificDreamer, Noise-Free SD, HiFA, Lucid Dreamer, and other amazing works in Score Distillation

References

- [1] Poole, Ben, et al. "DreamFusion: Text-to-3D using 2D Diffusion." *The Eleventh International Conference on Learning Representations*.
- [2] Wang, Haochen, et al. "Score jacobian chaining: Lifting pretrained 2d diffusion models for 3d generation." *Proceedings of the IEEE/CVF Conference on Computer Vision and Pattern Recognition*. 2023.
- [3] Song, Jiaming, Chenlin Meng, and Stefano Ermon. "Denoising diffusion implicit models." *arXiv preprint arXiv:2010.02502* (2020).

MORE ABOUT THE WORK

lukoianov.com/sdi

